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Physical Quantities & Units

Question paper 3

Level	International A Level
Subject	Physics
Exam Board	CIE
Topic	Physical Quantities & Units
Sub Topic	
Paper Type	Theory
Booklet	Question paper 3

Time Allowed: 84 minutes

Score: /70

Percentage: /100

A*	А	В	С	D	Е	U
>85%	'77.5%	70%	62.5%	57.5%	45%	<45%

1	(a)	The	e current in a wire is I . Charge Q passes one point in the wire in time t . State the relation between I , Q and t ,
		 (ii)	which of the quantities I , Q and t are base quantities.
			[2]
	(b)	alo	e current in the wire is due to electrons, each with charge q , that move with speed v ng the wire. There are n of these electrons per unit volume. a wire having a cross-sectional area S , the current I is given by the equation
			$I = nSqv^k,$
		whe	ere k is a constant.
		(i)	State the units of I , n , S , q and v in terms of the base units.
			<i>I</i>
			n
			S
			<i>q</i>
			<i>v</i> [3]
		(ii)	By considering the homogeneity of the equation, determine the value of k .
			k =[2]

2

Mal	ke reasonable estimates of the following qu	antities.
(a)	the frequency of an audible sound wave	
	f	requency =Hz [1]
(b)	the wavelength, in nm, of ultraviolet radiat	ion
	wa	velength = nm [1]
(c)	the mass of a plastic 30 cm ruler	
		mass = g [1]
(d)	the density of air at atmospheric pressure	
		density = kg m $^{-3}$ [1]

3

(a)	Derive the SI base unit of force.
	SI base unit of force =[1]
(b)	A spherical ball of radius r experiences a resistive force F due to the air as it moves through the air at speed v . The resistive force F is given by the expression
	F = crv,
	where c is a constant.
	Derive the SI base unit of the constant <i>c</i> .
	SI base unit of $c = \dots [1]$
	[1]

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(c)	The ball is droppe	ed from rest	through a	height of	4.5 m.
(5)	, The ball is droppe	ou monn resi	. unougn a	neignt of	т.∪

/i\	Assuming	air	registance	to he	nealiaihle	calculate	tha	final	snaad	Ωf	the	hal	i
(1)	ASSUMING	all	resistance	เบ มะ	nealiable.	calculate	une	IIIIai	speed	ΟI	une	Dai	L

speed =
$$m s^{-1} [2]$$

(ii) The ball has mass 15 g and radius 1.2 cm.

The numerical value of the constant c in the equation in **(b)** is equal to 3.2×10^{-4} when measured using the SI system of units.

Show quantitatively whether the assumption made in (i) is justified.

4

Make estimates of the following quantities.	
(a) the speed of sound in air	
	speed =[1]
(b) the density of air at room temperature ar	
	density =[1]
(c) the mass of a protractor	
	mass =[1]
(d) the volume, in cm ³ , of the head of an add	ult person
	volume = cm ³ [1]

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5	(a)	State the difference	between a	scalar	auantity	and a v	ector o	guantity

scalar:	 	 	 	
vector:	 	 	 	
	 	 	 	 [2]

(b) Two forces of magnitude 6.0 N and 8.0 N act at a point P. Both forces act away from point P and the angle between them is 40°.

Fig. 1.1 shows two lines at an angle of 40° to one another.

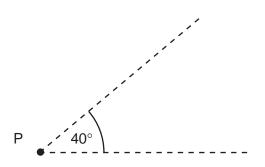


Fig. 1.1

On Fig. 1.1, draw a vector diagram to determine the magnitude of the resultant of the two forces.

magnitude of resultant = N [4]

Complete Fig. 1.1 to show each quantity and its unit. 6

quantity	unit
speed	ms-1
density	
	s1
electric field strength	
	kgms-1

Fig.1.1

[4]

7	(a)	(i)	Define <i>density</i> .
		(ii)	State the base units in which density is measured.
			[2]
	(b)	The	speed v of sound in a gas is given by the expression
			$v = \sqrt{\left(\frac{\gamma p}{\rho}\right)},$
		whe	re p is the pressure of the gas of density ρ . γ is a constant.
		Give	en that p has the base units of kg m ⁻¹ s ⁻² , show that the constant γ has no unit.

8	(a)	Define <i>speed</i> and <i>velocity</i> and use these definitions to explain why one of these quantities is a scalar and the other is a vector.
		speed:
		velocity:

(b) A ball is released from rest and falls vertically. The ball hits the ground and rebounds vertically, as shown in Fig. 2.1.

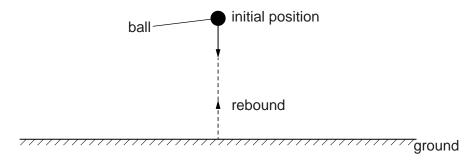


Fig. 2.1

The variation with time t of the velocity v of the ball is shown in Fig. 2.2.

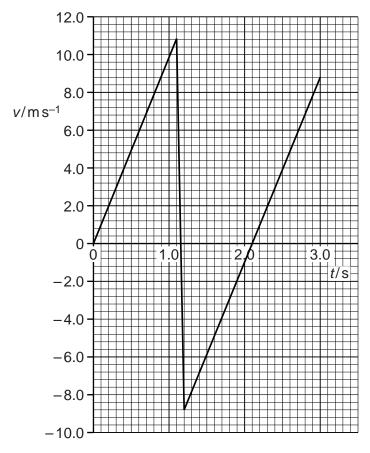


Fig. 2.2

Air resistance is negligible.

(i)	Without calculation, use Fig. 2.2 to describe the variation with time t of the velocity of th ball from $t = 0$ to $t = 2.1$ s.
	[
	Γ

(ii) Calculate the acceleration of the ball after it rebounds from the ground. Show your working.

- (iii) Calculate, for the ball, from t = 0 to t = 2.1 s,
 - 1. the distance moved,

distance = m [3]

2. the displacement from the initial position.

displacement = m [2]

(iv) On Fig. 2.3, sketch the variation with *t* of the speed of the ball.

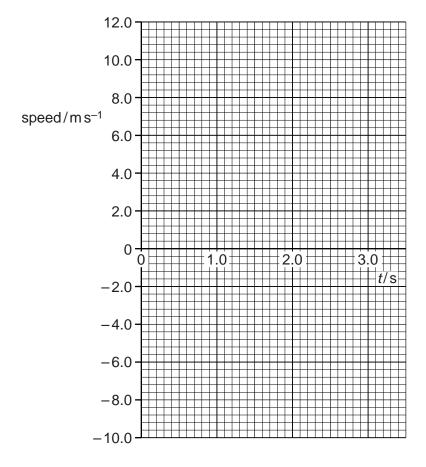


Fig. 2.3

9	Ene	ergy is stored in a metal wire that is extended elastically.							
	(a)	Explain what is meant by extended elastically.							
			[2]						
	(b)	Show that the SI units of energy per unit volume are kg m ⁻¹ s ⁻² .							
			[2]						
	(c)	For a wire extended elastically, the elastic energy per unit volume X is given by							
		$X = C\varepsilon^2 E$							
		where C is a constant,							
		ε is the strain of the wire, and E is the Young modulus of the wire.							
		Show that <i>C</i> has no units.							

10 (a) A stone of mass 56 g is thrown horizontally from the top of a cliff with a speed of 18 m s⁻¹, as illustrated in Fig. 4.1.

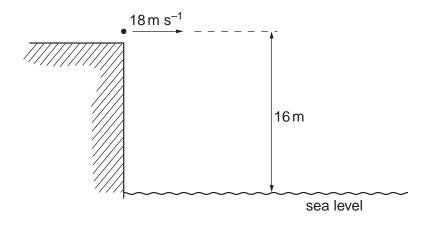


Fig. 4.1

The initial height of the stone above the level of the sea is 16 m. Air resistance may be neglected.

(i) Calculate the change in gravitational potential energy of the stone as a result of falling through 16 m.

(ii) Calculate the total kinetic energy of the stone as it reaches the sea.

(b)	Use your answer in (a)	(ii) to	show	that	the	speed	of t	the	stone	as	it hits	the	water	is
	approximately $25 \mathrm{m}\mathrm{s}^{-1}$.													

(c) State the horizontal velocity of the stone as it hits the water. $horizontal\ velocity =ms^{-1}\ [1]$

(d) (i) On the grid of Fig. 4.2, draw a vector diagram to represent the horizontal velocity and the resultant velocity of the stone as it hits the water. [1]

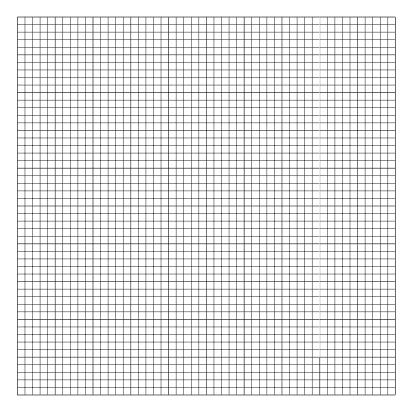


Fig. 4.2

(ii) Use your vector diagram to determine the angle with the horizontal at which the stone hits the water.

[1]