

# Forces

## Question paper 1

<b>Level</b>	International A Level
<b>Subject</b>	Physics
<b>Exam Board</b>	CIE
<b>Topic</b>	Forces, Density & Pressure
<b>Sub Topic</b>	Forces
<b>Paper Type</b>	Theory
<b>Booklet</b>	Question paper 1

**Time Allowed:** 74 minutes

**Score:** /61

**Percentage:** /100

A*	A	B	C	D	E	U
>85%	'77.5%	70%	62.5%	57.5%	45%	<45%

- 1 (a) The Young modulus of the metal of a wire is  $1.8 \times 10^{11}$  Pa. The wire is extended and the strain produced is  $8.2 \times 10^{-4}$ . Calculate the stress in GPa.

stress = .....GPa [2]

- (b) An electromagnetic wave has frequency 12THz.

- (i) Calculate the wavelength in  $\mu\text{m}$ .

wavelength = ..... $\mu\text{m}$  [2]

- (ii) State the name of the region of the electromagnetic spectrum for this frequency.

.....[1]

- (c) An object B is on a horizontal surface. Two forces act on B in this horizontal plane. A vector diagram for these forces is shown to scale in Fig. 1.1.

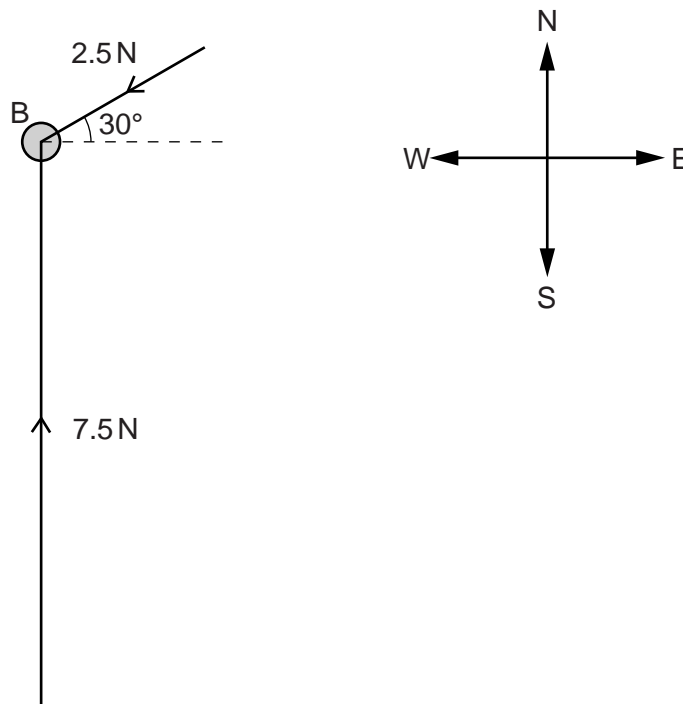


Fig. 1.1

A force of 7.5 N towards north and a force of 2.5 N from 30° north of east act on B.  
The mass of B is 750 g.

(i) On Fig. 1.1, draw an arrow to show the approximate direction of the resultant of these two forces. [1]

(ii) 1. Show that the magnitude of the resultant force on B is 6.6 N.

[1]

2. Calculate the magnitude of the acceleration of B produced by this resultant force.

magnitude = .....  $\text{ms}^{-2}$  [2]

(iii) Determine the angle between the direction of the acceleration and the direction of the 7.5 N force.

angle = ..... ° [1]

- 2 A uniform plank AB of length 5.0m and weight 200N is placed across a stream, as shown in Fig. 3.1.

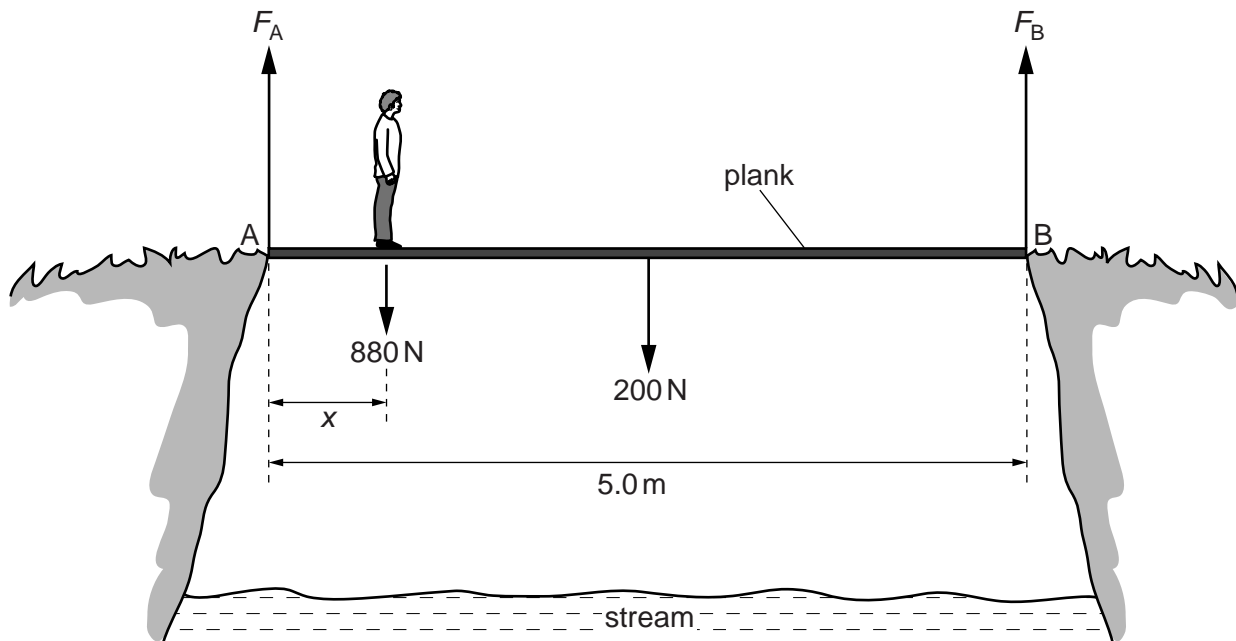


Fig. 3.1

A man of weight 880N stands a distance  $x$  from end A. The ground exerts a vertical force  $F_A$  on the plank at end A and a vertical force  $F_B$  on the plank at end B. As the man moves along the plank, the plank is always in equilibrium.

- (a) (i) Explain why the sum of the forces  $F_A$  and  $F_B$  is constant no matter where the man stands on the plank.

.....  
 .....  
 ..... [2]

- (ii) The man stands a distance  $x = 0.50\text{m}$  from end A. Use the principle of moments to calculate the magnitude of  $F_B$ .

$F_B = \dots\dots\dots \text{N}$  [4]

(b) The variation with distance  $x$  of force  $F_A$  is shown in Fig. 3.2.

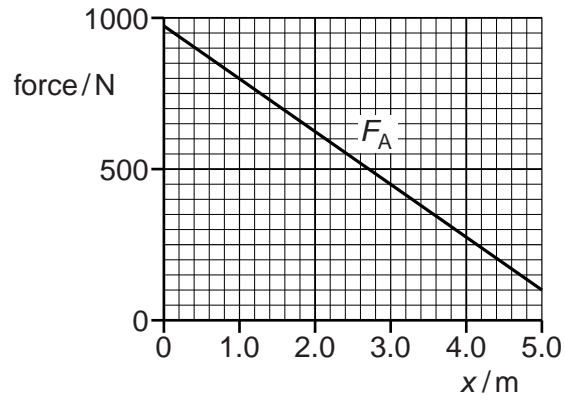


Fig. 3.2

On the axes of Fig. 3.2, sketch a graph to show the variation with  $x$  of force  $F_B$ .

[3]

3 (a) Distinguish between *mass* and *weight*.

mass: .....

.....

weight: .....

.....

[2]

(b) An object O of mass 4.9 kg is suspended by a rope A that is fixed at point P. The object is pulled to one side and held in equilibrium by a second rope B, as shown in Fig. 2.1.

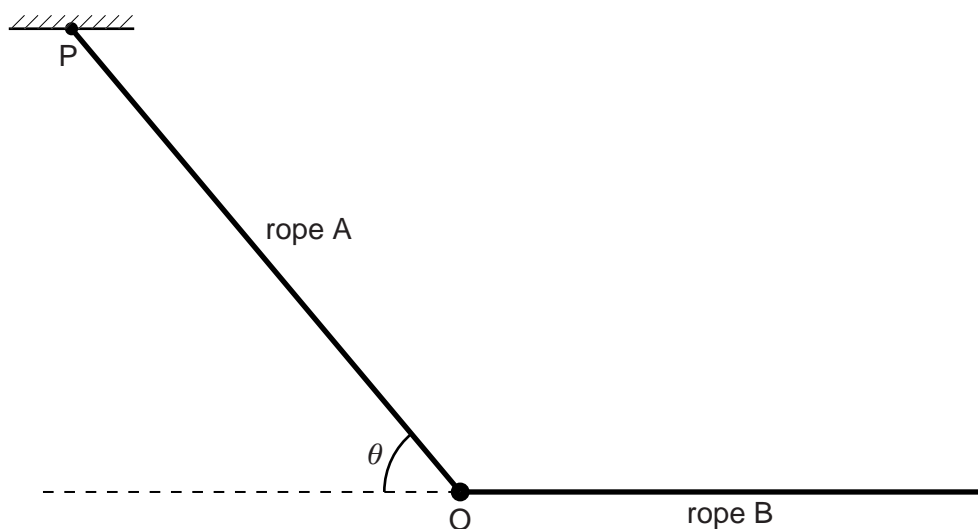


Fig. 2.1

Rope A is at an angle  $\theta$  to the horizontal and rope B is horizontal. The tension in rope A is 69 N and the tension in rope B is  $T$ .

(i) On Fig. 2.1, draw arrows to represent the directions of all the forces acting on object O. [2]

**(ii)** Calculate

1. the angle  $\theta$ ,

$\theta = \dots\dots\dots^\circ$  [3]

2. the tension  $T$ .

$T = \dots\dots\dots$  N [2]

4 (a) Define *centre of gravity*.

.....  
 ..... [2]

(b) A uniform rod AB is attached to a vertical wall at A. The rod is held horizontally by a string attached at B and to point C, as shown in Fig. 3.1.

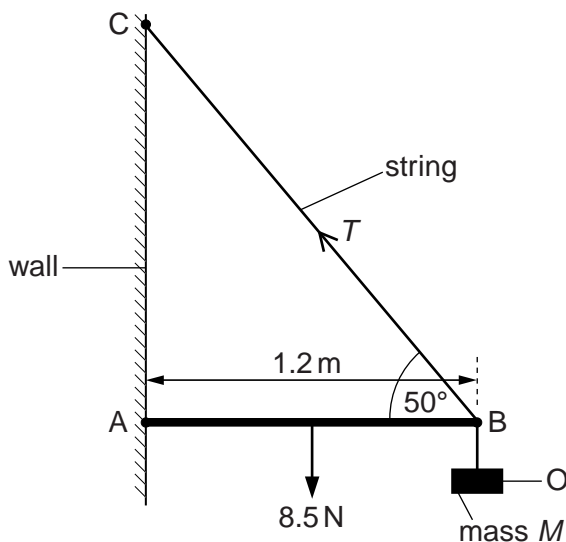


Fig. 3.1

The angle between the rod and the string at B is  $50^\circ$ . The rod has length 1.2 m and weight 8.5 N. An object O of mass  $M$  is hung from the rod at B. The tension  $T$  in the string is 30 N.

(i) Use the resolution of forces to calculate the vertical component of  $T$ .

vertical component of  $T = \dots\dots\dots$  N [1]

(ii) State the *principle of moments*.

.....  
 ..... [1]



- (iii) Use the principle of moments and take moments about A to show that the weight of the object O is 19 N.

[3]

- (iv) Hence determine the mass  $M$  of the object O.

$M = \dots\dots\dots$  kg [1]

- (c) Use the concept of equilibrium to explain why a force must act on the rod at A.

.....  
.....  
.....[2]

5 (a) Define *power*.

.....  
 ..... [1]

(b) A cyclist travels along a horizontal road. The variation with time  $t$  of speed  $v$  is shown in Fig. 3.1.

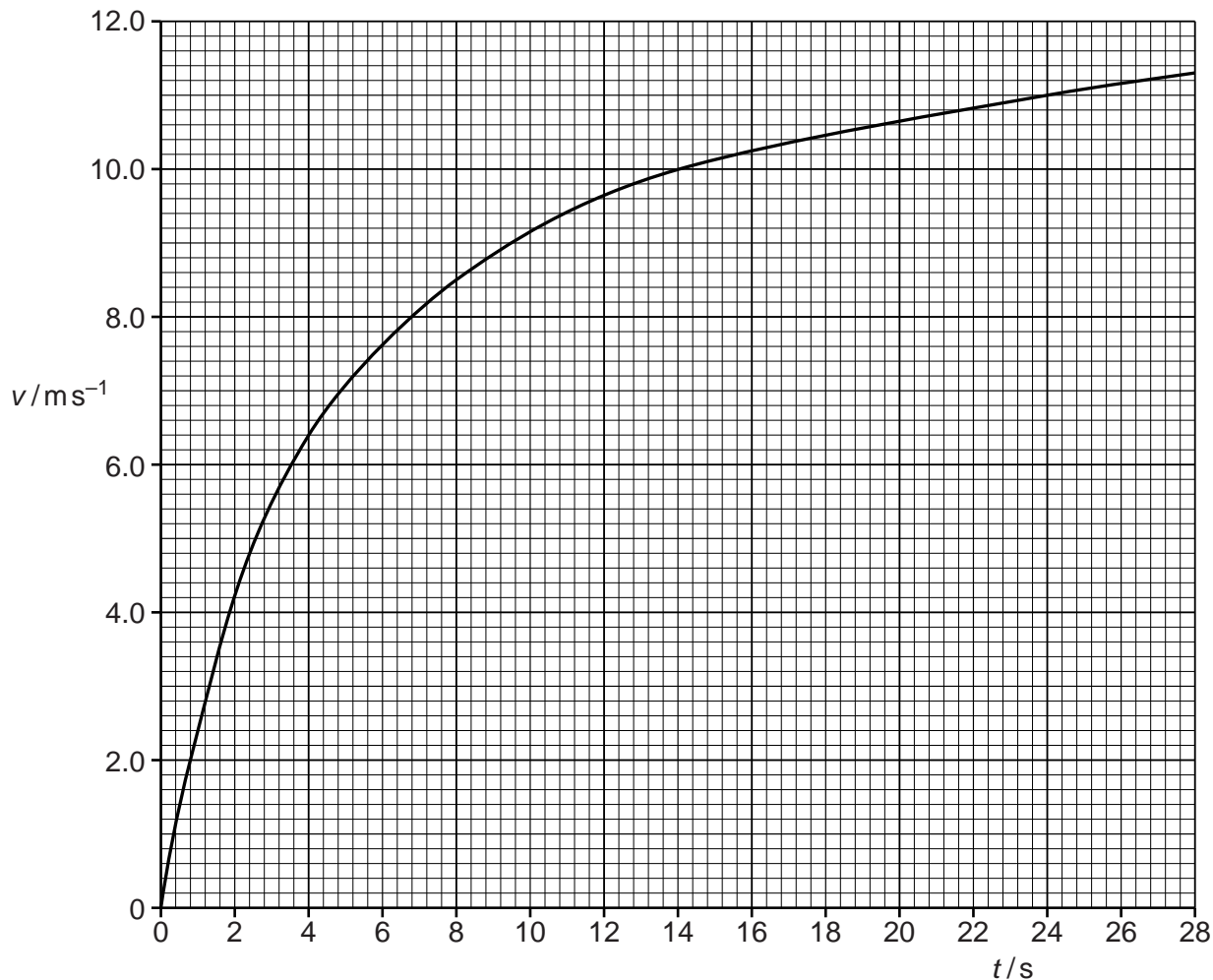


Fig. 3.1

The cyclist maintains a constant power and after some time reaches a constant speed of  $12\text{ms}^{-1}$ .

(i) Describe and explain the motion of the cyclist.

.....  
 .....  
 .....  
 .....  
 ..... [3]

- (ii) When the cyclist is moving at a constant speed of  $12\text{ m s}^{-1}$  the resistive force is  $48\text{ N}$ . Show that the power of the cyclist is about  $600\text{ W}$ . Explain your working.

[2]

- (iii) Use Fig. 3.1 to show that the acceleration of the cyclist when his speed is  $8.0\text{ m s}^{-1}$  is about  $0.5\text{ m s}^{-2}$ .

[2]

- (iv) The total mass of the cyclist and bicycle is  $80\text{ kg}$ . Calculate the resistive force  $R$  acting on the cyclist when his speed is  $8.0\text{ m s}^{-1}$ . Use the value for the acceleration given in (iii).

$R = \dots\dots\dots\text{ N}$  [3]

- (v) Use the information given in (ii) and your answer to (iv) to show that, in this situation, the resistive force  $R$  is proportional to the speed  $v$  of the cyclist.

[1]

- 6 A motor drags a log of mass 452 kg up a slope by means of a cable, as shown in Fig. 2.1.

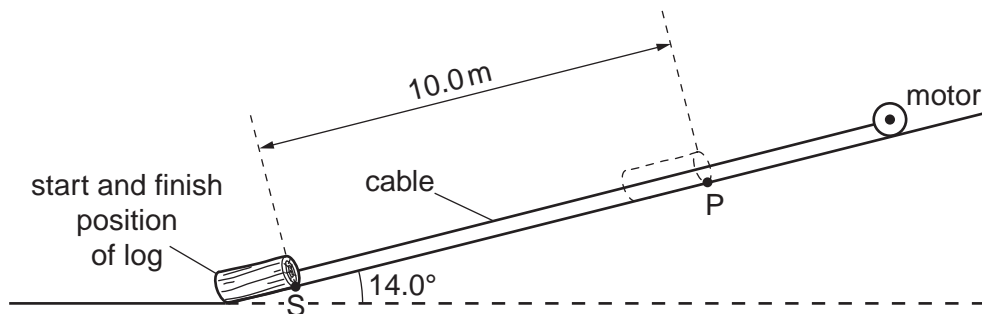


Fig. 2.1

The slope is inclined at  $14.0^\circ$  to the horizontal.

- (a) Show that the component of the weight of the log acting down the slope is 1070 N.

[1]

- (b) The log starts from rest. A constant frictional force of 525 N acts on the log. The log accelerates up the slope at  $0.130 \text{ m s}^{-2}$ .

- (i) Calculate the tension in the cable.

tension = ..... N [3]

- (ii) The log is initially at rest at point S. It is pulled through a distance of 10.0 m to point P.

Calculate, for the log,

1. the time taken to move from S to P,

time = ..... s [2]

2. the magnitude of the velocity at P.

velocity = .....  $\text{ms}^{-1}$  [1]

- (c) The cable breaks when the log reaches point P. On Fig. 2.2, sketch the variation with time  $t$  of the velocity  $v$  of the log. The graph should show  $v$  from the start at S until the log returns to S. [4]



Fig. 2.2